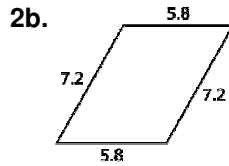
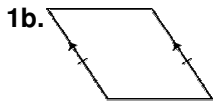
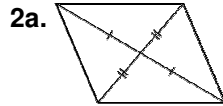
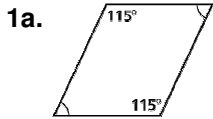


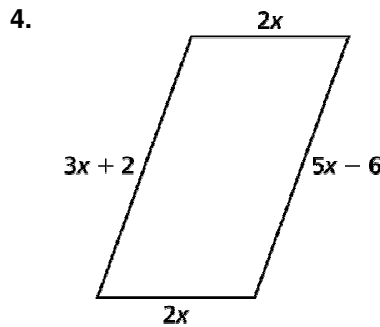
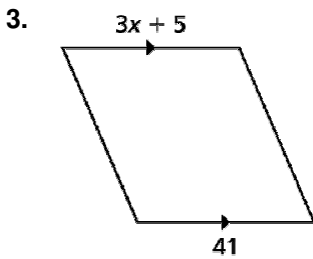
7.3

Practice A

In Exercises 1 and 2, state which theorem you can use to show that the quadrilateral is a parallelogram.

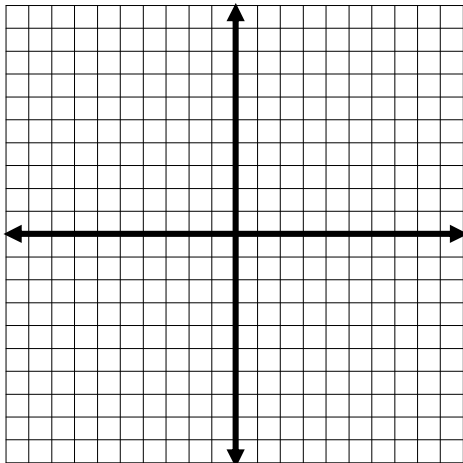


In Exercises 3 and 4, find the value of x that makes the quadrilateral a parallelogram.

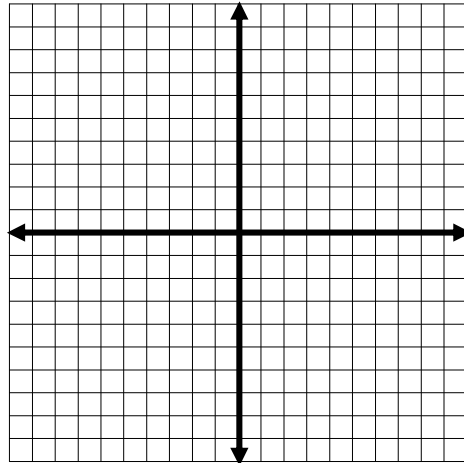


In Exercises 5 and 6, graph the quadrilateral with the given vertices in a coordinate plane. Then show that the quadrilateral is a parallelogram.

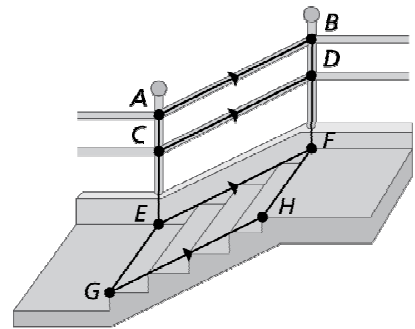
5. $A(-4, -2), B(-2, 1), C(4, 1), D(2, -2)$



6. $E(-4, 1), F(-1, 5), G(11, 0), H(8, -4)$



8. In the diagram of the handrail for a staircase shown,
 $m\angle A = 145^\circ$ and $\overline{AB} \cong \overline{CD}$.



- a. Explain how to show that $ABDC$ is a parallelogram.

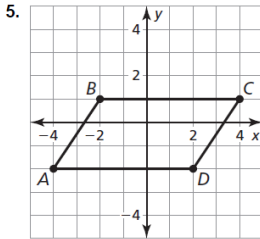
- b. Describe how to prove that $CDFE$ is a parallelogram.

- c. Can you prove that $EFHG$ is a parallelogram?
 Explain.

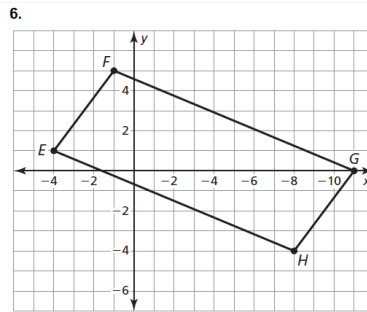
- d. Find $m\angle ACD$, $m\angle DCE$, $m\angle CEF$, and $m\angle EFD$.

7.3 Practice A

1. Parallelogram Opposite Angles Converse Theorem
(Thm. 7.8)
2. Parallelogram Diagonals Converse Theorem
(Thm. 7.10)
3. 12
4. 4



Because $BC = AD = 6$, $\overline{BC} \cong \overline{AD}$. Because both \overline{BC} and \overline{AD} are horizontal line segments, their slope is 0, and they are parallel. \overline{BC} and \overline{AD} are opposite sides that are both congruent and parallel. So, $ABCD$ is a parallelogram by the Opposite Sides Parallel and Congruent Theorem (Thm. 7.9).



Because $EF = GH = 5$ and $EH = FG = 13$, $\overline{EF} \cong \overline{GH}$ and $\overline{EH} \cong \overline{FG}$. Because both pairs of opposite sides are congruent, quadrilateral $EFGH$ is a parallelogram by the Parallelogram Opposite Sides Converse (Thm. 7.7).

8. a. Because $\overline{AB} \parallel \overline{CD}$ and $\overline{AB} \cong \overline{CD}$, $ABDE$ is a parallelogram by the Opposite Sides Parallel and Congruent Theorem (Thm. 7.9).
- b. Because $ABDC$ is a parallelogram, $\overline{CE} \parallel \overline{DF}$.
From the diagram, you can see that $\overline{CD} \parallel \overline{EF}$.
Because the opposite sides are parallel, $CDFE$ is a parallelogram.
- c. no; You are only given that one pair of opposite sides are parallel, which is not enough information to prove that it is a parallelogram.
- d. $m\angle ACD = 35^\circ$, $m\angle DCE = 145^\circ$,
 $m\angle CEF = 35^\circ$, $m\angle EFD = 145^\circ$