Date:

1C: Key Features of a Function

To fully understand a function, we must study it's important features. The following is a brief description of some of these features to be familiar with.

- 1 **Domain:** The set of allowable inputs (x values).
- 2 **<u>Range:</u>** The set of possible outputs (*y* values).
- 3 **<u>Continuity:</u>** A function is *continuous* if it is smooth over its domain with no "jumps" or breaks in the range values, otherwise it is *discontinuous*.
- 4 **Increasing/Decreasing/Constant** intervals: Do the *y* values increase, decrease, or stay constant as *x* gets larger?
- 5 Symmetry:

- A function has <u>even line symmetry</u> if the graph is symmetric about the y-axis and f(-x) = f(x). - A function has <u>odd point symmetry</u> if the graph has rotational symmetry about the origin and f(-x) = -f(x).

- 6 **Bounded:** A function is *bounded below* if it has a global minimum, it is *bounded above* if it has a global maximum. Otherwise it is *not bounded*.
- 7 **Minimums:** A point whose *y*-value is less than its neighboring points.
- 8 **Maximums:** A point whose *y*-value is greater than its neighboring points.
- 9 Horizontal Asymptotes: A horizontal line y = a which the graph approaches but never intersects.
- 10 **<u>Vertical Asymptotes</u>**: A vertical line x = b which the graph approaches but never intersects./
- 11 **<u>End Behavior</u>**: How does the *y*-value change as $x \to \infty$ and $x \to -\infty$.

12-Basic Functions Activity

For each function in the top row do the following:

- 1. Graph the function in your calculator and sketch the plot in the 1st row.
- 2. Describe each of the features listed above.
- 3. Use interval notation when appropriate.
- 4. Be as specific as possible.